## Section 6.5: Perimeter, Value Interest, and Mixture Problems

1. An artist wants an piece of canvas whose length is 1.62 times its width, and whose perimeter is 9 feet. Find the dimensions of the canvas by doing the following:
(a) Write down an equation for the length $L$ of the canvas in terms of the width $W$.
(b) Write down an equation for the perimeter $P$ of the canvas in terms of the length $L$ and the width $W$.
(c) Given that $P=9$, you now have a system of two equations in the variables $L$ and $W$. A solution to this system of equations is an ordered pair $(L, W)$ of numbers representing the length and width of the desired canvas. Find a solution to this system of equations.
2. A person wants to invest a total of 7000 dollars in two different accounts, the first has an annual interest rate of $2.5 \%$, and the second has an annual interest rate of $12 \%$. How much money should this person invest in each account in order to make $\$ 400$ of interest in one year.
(a) Use the variable $x$ to represent the amount of money invested in the first account, and the variable $y$ to represent the amount of money invested in the second account. Write down an equation for the amount of interest $I$ that is made in one year in terms of $x$ and $y$.
(b) Write down an equation representing the total amount $T$ invested is terms of $x$ and $y$.
(c) Now given that $T=\$ 7000$, and $I=\$ 400$, you have a system of two equations in the variables $x$ and $y$. Find a solution of this system, and explain what this means in this situation.
3. A vendor charges $\$ 5$ dollars per hamburger and $\$ 3$ dollars per hot dog.
(a) What is the vendor's total revenue from selling 40 hamburgers and 85 hot dogs?
(b) Find an equation for the total revenue $R$ when the vendor sells $B$ hamburgers and $D$ hot dogs.
(c) The vendor sells a total of 135 hamburgers and hot dogs for a total revenue of $\$ 495$. How many hamburgers did the vendor sell? How many hot dogs did the vendor sell?
4. A chemist needs 8 liters of a $20 \%$ alcohol solution, but only has a $15 \%$ alcohol solution and a $35 \%$ alcohol solution. How many liters of each solution should the chemist mix to make the desired 8 liters of $20 \%$ alcohol solution?
